

# Robotics Reading Group

## @ Instituto Superior Técnico

Session #5  
13-12-2019

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# Paper

Sarah Keren, Avigdor Gal, & Erez Karpas. 2014.

## **Goal Recognition Design**

Proceedings of the Twenty-Fourth International Conference on  
Automated Planning and Scheduling

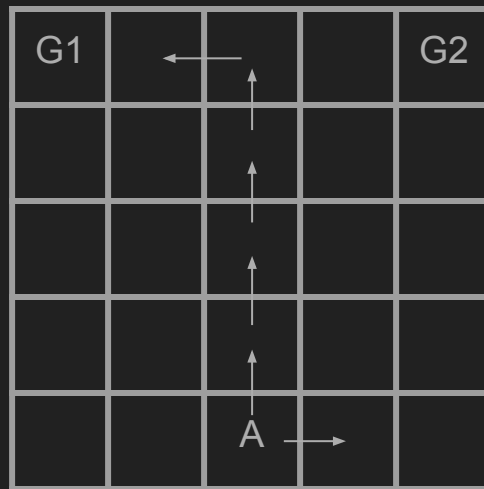
# Goal Recognition Design

Goal Recognition  
+  
Design



# Goal Recognition

- Given a set of possible goals, and observations of an agent acting...
- Recognize the goal of the agent.

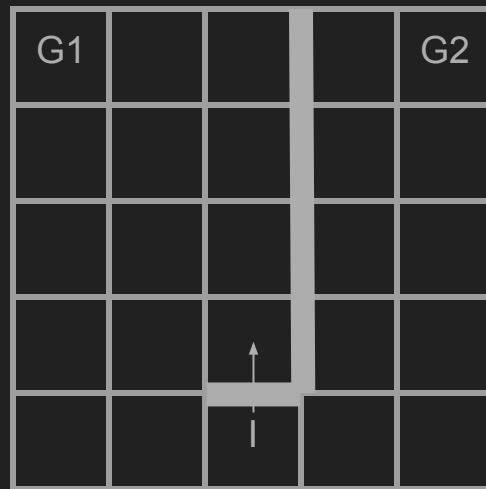


A, optimal agent

# Goal Recognition Design

Offline design as a mechanism to facilitate online goal recognition

*“What is the best way to modify the world so that any agent acting within it reveals its objective as early as possible”*



# Goal Recognition Design

Approach:

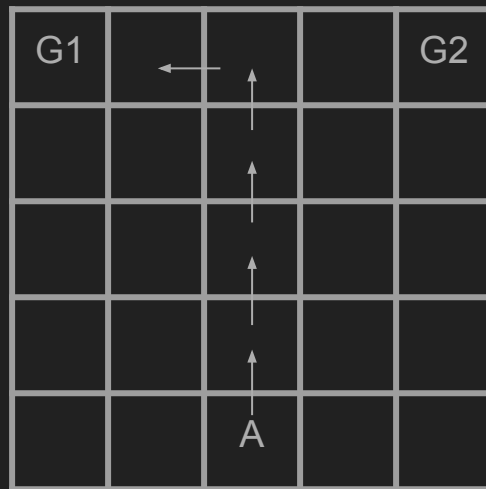
1. **Evaluate:** Measure how long it takes to recognize the agent's goal in the worst case
2. **Optimize:** Reduce this worst case time



# Evaluate: Measuring how hard to detect agent's goal

## *Worst case distinctiveness (wcd)*

- maximal length of a path until the objective of the agent becomes clear



Wcd = 4

# Evaluate: Computing wcd

Naive algorithm (high level)

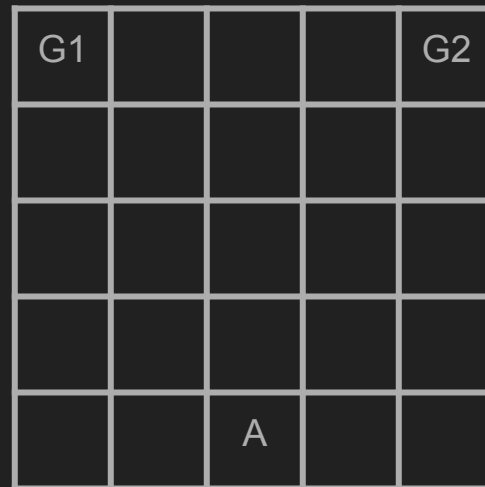
- Compute all optimal paths.
- Return the longest subpath common to  $>1$  goals

# Evaluate: Computing wcd

Naive algorithm

1. BFS to find optimal path to goals
2. Backtrack from each goal. Stop once we find a node that is on a path to both goals.

First node in path to both goals reveals the wcd.



# Evaluate: Computing wcd

Naive algorithm

1. **BFS to find optimal path to goals**
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First node in path to both goals reveals the wcd.

G1				G2
		1		
	1	A	1	

# Evaluate: Computing wcd

Naive algorithm

1. **BFS to find optimal path to goals**
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First node in path to both goals reveals the wcd.

G1				G2
	2	1		
2	1	A	1	

# Evaluate: Computing wcd

Naive algorithm

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First node in path to both goals reveals the wcd.

G1				G2
		2		
	2	1	2	
2	1	A	1	

# Evaluate: Computing wcd

Naive algorithm

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First node in path to both goals reveals the wcd.

G1				G2
		2		
	2	1	2	
2	1	A	1	2

# Evaluate: Computing wcd

Naive algorithm

1. **BFS to find optimal path to goals**
2. Backtrack from each goal. Stop once we find a node that is on a path to both goals.

First node in path to both goals reveals the wcd.

G1	5	4	5	G2
5	4	3	4	5
4	3	2	3	4
3	2	1	2	3
2	1	A	1	2



# Evaluate: Computing wcd

Naive algorithm

1. BFS to find optimal path to goals
2. **Backtrack from each goal.**

**Marks nodes on optimal path to goal.**

**Stop once we find a node that is on a path to both goals.**

First node in path to both goals reveals the wcd.

G1	G1	4	5	G2
G1	4	3	4	5
4	3	2	3	5
3	2	1	2	3
2	1	A	1	2

# Evaluate: Computing wcd

Naive algorithm

1. BFS to find optimal path to goals
2. **Backtrack from each goal.**

**Marks nodes on optimal path to goal.**

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First node in path to both goals reveals the wcd.

G1	G1	4	G2	G2
G1	4	3	4	G2
4	3	2	3	5
3	2	1	2	3
2	1	A	1	2

# Evaluate: Computing wcd

Naive algorithm

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G1	G1	4	G2	G2
G1	G1	3	4	G2
G1	3	2	3	5
3	2	1	2	3
2	1	A	1	2

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First node in path to both goals reveals the wcd.

G1	G1	G1	G2	G2
G1	G1	3	4	G2
G1	3	2	3	5
3	2	1	2	3
2	1	A	1	2

# Evaluate: Computing wcd

Naive algorithm

1. BFS to find optimal path to goals
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G1	G1	G1	G2	G2
G1	G1	3	G2	G2
G1	3	2	3	G2
3	2	1	2	3
2	1	A	1	2

# Evaluate: Computing wcd

Naive algorithm

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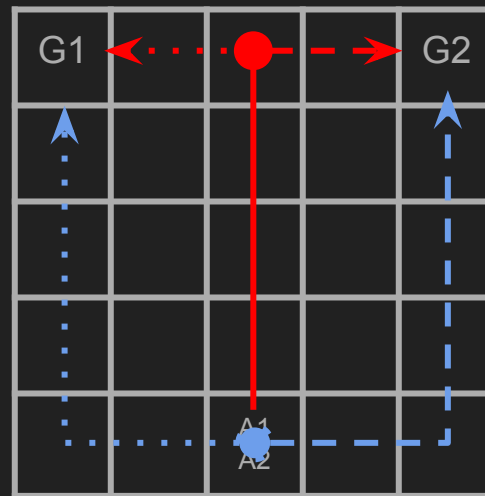
Inefficient when there are many optimal paths to each goal!

G1	G1	G1 G2	G2	G2
G1	G1	3	G2	G2
G1	3	2	3	G2
3	2	1	2	3
2	1	A	1	2

# Evaluate: Computing wcd

*Latest split* algorithm (high level)

- Create a new 2 agent planning problem, where agents:
  - Have a different goal
  - Can act separately or together
    - Can only act together in the beginning. Once they split, they must act separately
    - Encouraged to act together with a smaller cost
- Optimal solution for new problem yields the wcd path
  - Wcd = time when agents decided to split

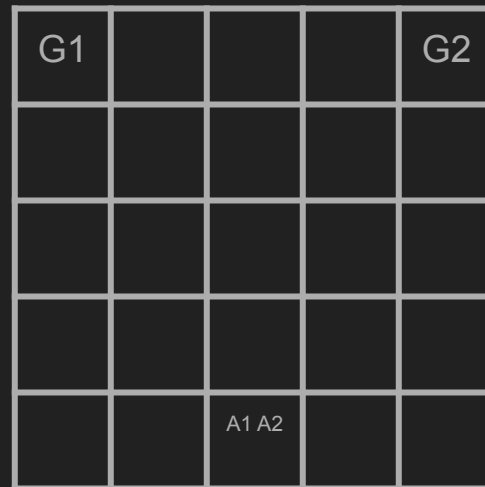


$C > C$

# Evaluate: Computing wcd

## *Latest split* algorithm

- Extend planning problem as:
  - Extend state space with the position of each agent
  - Extend action space with:
    - Independent actions for each agent -  $a_1$  and  $a_2$
    - Joint actions -  $a_{12}$
    - Split
  - Cost function  $C'$  such as:
    - $C'(a_1) = C'(a_2)$
    - $C'(a_{12}) = 2C(a) - \epsilon$
- Empirical evaluation shows *latest split* is significantly more efficient than naive algorithm



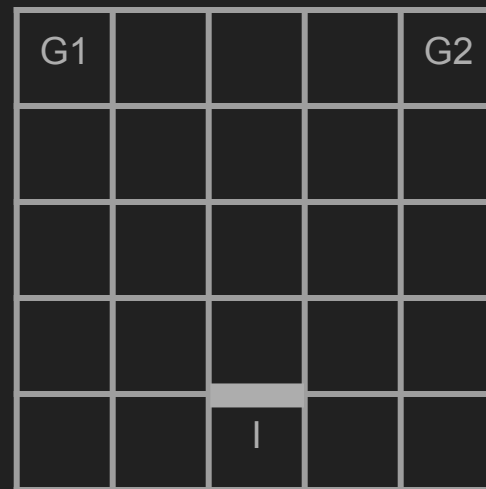


# Optimize: Reduce wcd

Given a planning problem and the possible goals, how to reduce wcd?

Approach:

- Disallow the execution of **some actions** in **some states**



Removes (I, UP)

# Optimize: Reduce wcd

Formally:

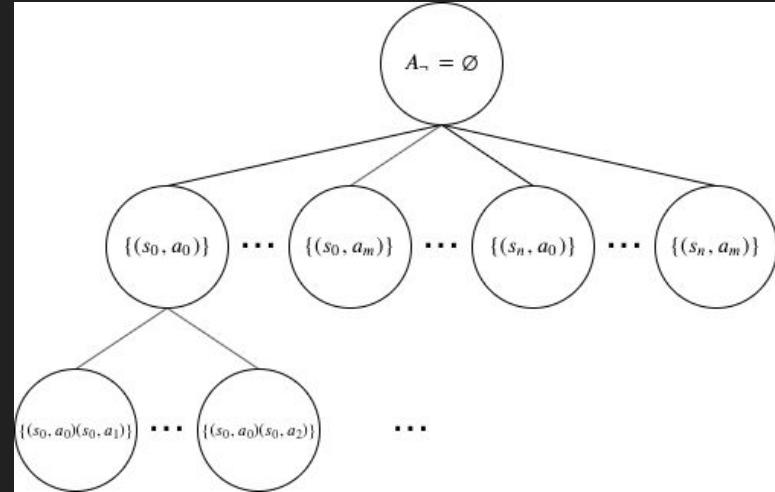
- Planning problem  $D$
- $A_{\neg}$ , set of pairs  $(s, a)$  --- action  $a$  disallowed in state  $s$
- $D_{A \setminus A_{\neg}}$  new problem with disallowed state-action pairs
- **Goal:**

$$\begin{aligned} & \underset{A_{\neg}}{\text{minimize}} && (wcd(D_{A \setminus A_{\neg}}), |A_{\neg}|) \\ & \text{subject to} && \forall G, C_D^*(G) = C_{D_{A \setminus A_{\neg}}}^*(G) \end{aligned}$$

# Optimize: Reduce wcd

## *Exhaustive search*

- Each node represents a set  $A_{\neg}$
- Start with empty set
- For each node,
  - Compute wcd and optimal costs of achieving each goal
- Successors formed by concatenating each state-action pair to set  $A_{\neg}$  of previous node
- Search continues, increasing  $A_{\neg}$ , until reaching:
  - Model with wcd = 0
  - No more nodes to explore



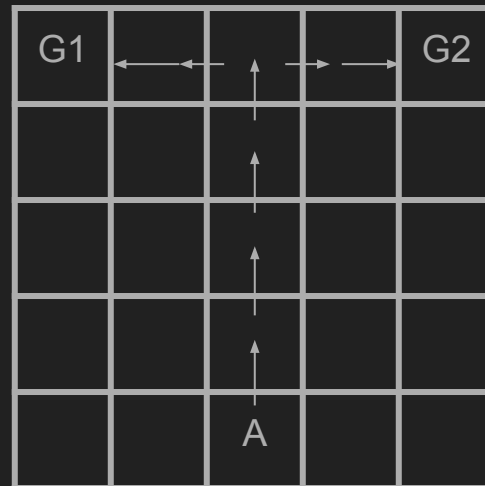
Result:

- $A_{\neg}^*$  for which wcd is minimized, and also smallest size.

# Optimize: Reduce wcd

## *Pruned reduce*

- Key insight: no point in removing actions not belonging to a *wcd* path
- We can prune a lot of search branches
  - Only create successors for state-action pairs that appear in the *wcd* path of parent node.



# Empirical evaluation

Scenarios considered:

- Grid-navigation - simple navigation task
- Logistics - moving packages with trucks and airplanes
- lpc-grid+ - complex navigation task
- Blockwords - block stacking

# Empirical evaluation

Table 1: Calculating *wcd*

	time		expanded		% solved	
	bfs	split	bfs	split	bfs	split
grid navigation	20.3	0.4	928.4	48.1	100	100
ipc-grid+	7.4	1.4	1263.3	2328.7	100	100
logistics	59.6	27.5	51947.8	86596.1	89	92
block-words	45.6	1.9	3816.2	3473.1	99	100

# Empirical evaluation

Table 2: Reducing *wcd*

	% completed		% reduced		average reduction	
	exhaustive	reduce	exhaustive	reduce	exhaustive	reduce
grid navigation	9	95	18	21	1.64	3.45
ipc-grid+	44	85	28	47	2.07	3.36
logistics	22	86	5	14	2.1	3.46
block-words	11	63	2	9	1	1

# Empirical evaluation

- Original domain:
  - Grab K2; Right; Unlock L2; Right; Right; Right
  - Grab K2; Right; Unlock L2; Right; Bottom; Right; Right
  - Wcd = 4
- Modified domain
  - wcd = 0

K0, K1 K2	L2			GA
	L0			GB
		L4		GC
K3, K4		L1		
	L3			



# I wanna know more about GRD!

	Agent		Environment		Metrics		Designs		
	Suboptimal Plans	Partial Obs.	Partial Obs.	Stochastic Actions	<i>wcd</i>	<i>ecd</i>	Action Removal	Sensor Refinement	Action Conditioning
Keren <i>et al.</i> (ICAPS 2014)					✓		✓		
Son <i>et al.</i> (AAAI 2016)					✓		✓		
Keren <i>et al.</i> (AAAI 2015)	✓				✓		✓		
Keren <i>et al.</i> (AAAI 2016)	✓		✓		✓		✓		
Keren <i>et al.</i> (IJCAI 2016)	✓		✓		✓		✓	✓	
Wayllace <i>et al.</i> (IJCAI 2016)				✓	✓		✓		
Wayllace <i>et al.</i> (IJCAI 2017)				✓	✓	✓	✓		
Wayllace <i>et al.</i> (HSDIP 2018)			✓	✓	✓		✓	✓	
Keren <i>et al.</i> (ICAPS 2018)	✓		✓		✓		✓	✓	✓
Keren <i>et al.</i> (JAIR 2019)	✓		✓		✓		✓	✓	✓
Keren <i>et al.</i> (HSDIP 2019)		✓			✓			✓	

# Connection to GAIPS?

- João Ribeiro - Ad Hoc Teamwork
  - GRD as mechanism to speed up adhoc teamwork?
- Miguel Faria - Trajectory legibility
  - Traj. legibility and grd are dual problems? Sweet spot is hybrid approach?
- Robotics in general
  - World is typically built for humans. Could GRD help robots more easily understanding human intentions?

# More resources

<https://www.cse.wustl.edu/~wyeoh/GRD-Tutorial.pdf>

Merry Christmas



We will see you in 2020!